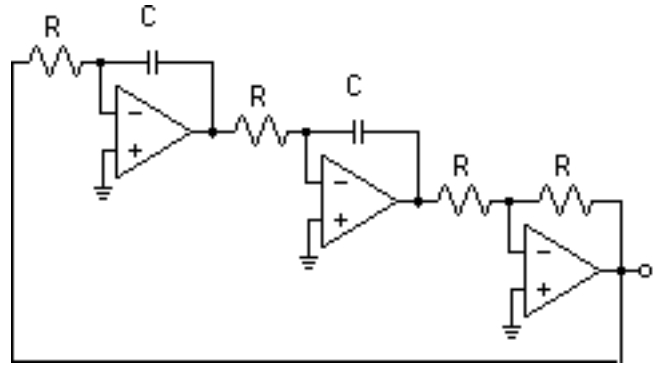


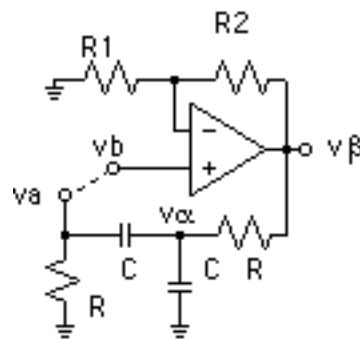
Oscillator Examples

(1) Assume idealized OpAmps. Verify that the output voltage V_o is sinusoidal.

'Take' V_o , integrate it twice, invert the signal, and set the result equal to V_o . This is a 'quadrature' oscillator. The oscillation frequency is $1/(2 RC)$. How is amplitude determined?



(2) Determine the oscillation conditions for the circuit shown.



$$v_\alpha = v_a \left(1 + \frac{1}{sRC}\right)$$

$$v_\beta = v_\alpha + \left(sCv_\alpha + \frac{v_a}{R}\right)R$$

$$= v_a \left(3 + sRC + \frac{1}{sRC}\right)$$

$$v_b = v_\beta \frac{R1}{R1 + R2}$$

$$= v_a \text{ (Barkhausen Condition)}$$

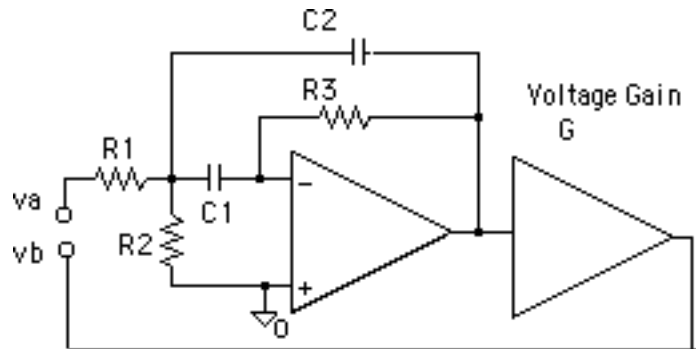
Solve: $\frac{R2}{R1} = 2 \quad \omega RC = 1$

(3) Apply the Barkhausen Condition to the circuit shown to determine oscillation is initiated when

$$\omega^2 R1 R2 C1 C2 = 1 + \frac{R1}{R3}$$

$$G = -\frac{R1}{R3} \left(1 + \frac{C1}{C2}\right)$$

Assume idealized OpAmps.

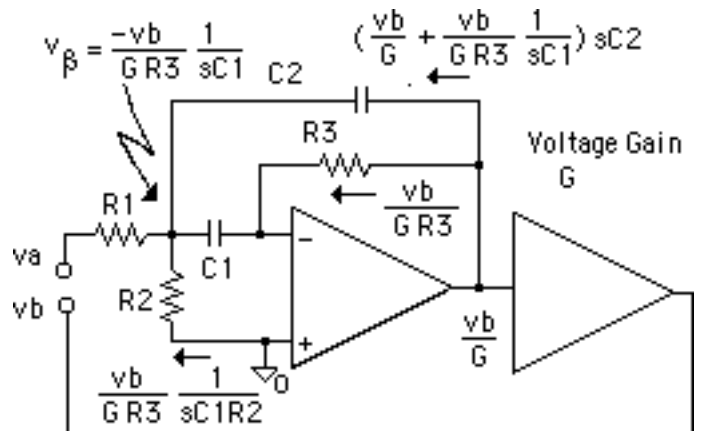


$$v_a = -\left[\left(\frac{v_b}{G} + \frac{v_b}{GR3} \frac{1}{sC1}\right) sC2 + \frac{v_b}{GR3} + \frac{v_b}{GR3} \frac{1}{sC1R2}\right] R1 - \frac{v_b}{GR3} \frac{1}{sC1}$$

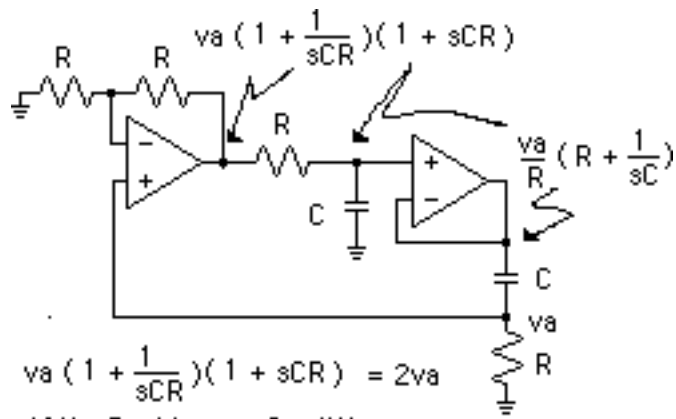
$$= v_b \text{ (Barkhausen Condition)}$$

$$\omega^2 R1 R2 C1 C2 = 1 + \frac{R1}{R3}$$

$$G = -\frac{R1}{R3} \left(1 + \frac{C1}{C2}\right)$$



(4) Assume idealized OpAmps. Verify that this circuit will oscillate with $\omega RC = 1$.



$$v_a (1 + \frac{1}{sCR}) (1 + sCR) = 2v_a$$

If the Barkhausen Condition (above) is to be satisfied require $\omega RC = 1$.

